

CAT 2025 QA Question Paper PDF (November 30, 2025) (Shift 3)

1. The monthly sales of a product from January to April were 120, 135, 150 and 165 units, respectively. The cost price of the product was Rs. 240 per unit, and a fixed marked price was used for the product in all the four months. Discounts of 20%, 10% and 5% were given on the marked price per unit in January, February and March, respectively, while no discounts were given in April. If the total profit from January to April was Rs. 138825, then the marked price per unit, in rupees, was:

- A. 520
- B. 525
- C. 510
- D. 515

2. Teams A, B, and C consist of five, eight, and ten members, respectively, such that every member within a team is equally productive. Working separately, teams A, B, and C can complete a certain job in 40 hours, 50 hours, and 4 hours, respectively. Two members from team A, three members from team B, and one member from team C together start the job, and the member from team C leaves after 23 hours. The number of additional member(s) from team B that would be required to replace the member from team C, to finish the job in the next one hour, is:

- A. 4
- B. 2
- C. 1
- D. 3

3. In a school with 1500 students, each student chooses any one of the streams out of science, arts, and commerce, by paying a fee of Rs. 1100, Rs. 1000, and Rs. 800, respectively. The total fee paid by all the students is Rs. 15,50,000. If the number of science students is not more than the number of arts students, then the maximum possible number of science students in the school is.

4. In an arithmetic progression, if the sum of fourth, seventh and tenth terms is 99, and the sum of the first fourteen terms is 497, then the sum of first five terms is.

5. Ankita walks from A to C through B, and runs back through the same route at a speed that is 40% more than her walking speed. She takes exactly 3 hours 30 minutes to walk from B to C as well as to run from B to A. The total time, in minutes, she would take to walk from A to B and run from B to C, is.

6. For a 4-digit number (greater than 1000), the sum of the digits in the thousands, hundreds, and tens places is 15. The sum of the digits in the hundreds, tens, and units places is 16. Also, the digit in the tens place is 6 more than the digit in the units place. The difference between the largest and smallest possible value of the number is:

- A. 811
- B. 3289
- C. 735
- D. 4078

7. Rahul starts on his journey at 5 pm at a constant speed so that he reaches his destination at 11 pm the same day. However, on his way, he stops for 20 minutes, and after that, increases his speed by 3 km per hour to reach on time. If he had stopped for 10 minutes more, he would have had to increase his speed by 5 km per hour to reach on time. His initial speed, in km per hour, was:

- A. 12
- B. 15
- C. 18
- D. 20

8. The rate of water flow through three pipes A, B and C are in the ratio 4 : 9 : 36. An empty tank can be filled up completely by pipe A in 15 hours. If all the three pipes are used simultaneously to fill up this empty tank, the time, in minutes, required to fill up the entire tank completely is nearest to:

- A. 73
- B. 78
- C. 76
- D. 71

9. If $f(x) = (x^2 + 3x)(x^2 + 3x + 2)$, then the sum of all real roots of the equation $f(x) + 1 = 9701$ is:

- A. -6
- B. 6
- C. 3
- D. -3

10. For real values of x , the range of the function $f(x) = (2x - 3)/(2x^2 + 4x - 6)$ is:

- A. $(-\infty, 1/8] \cup [1, \infty)$
- B. $(-\infty, 1/4] \cup [1, \infty)$
- C. $(-\infty, 1/8] \cup [1/2, \infty)$
- D. $(-\infty, 1/4] \cup [1/2, \infty)$

11. The sum of all the digits of the number $(10^{50} + 10^{25} - 123)$ is:

- A. 212
- B. 221
- C. 324
- D. 255

12. A triangle ABC is formed with $AB = AC = 50$ cm and $BC = 80$ cm. Then, the sum of the lengths, in cm, of all three altitudes of triangle ABC is.

13. If $(x^2 + 1/x^2) = 25$ and $x > 0$, then the value of $(x^7 + 1/x^7)$ is:

- A. $44853/3$
- B. $44856/3$
- C. $44859/3$
- D. $44850/3$

14. In a class of 150 students, 75 students chose physics, 111 students chose mathematics and 40 students chose chemistry. All students chose at least one of the three subjects and at least one student chose all three subjects. The number of students who chose both physics and chemistry is equal to the number of students who chose both chemistry and mathematics, and this is half the number of students who chose both physics and mathematics. The maximum possible number of students who chose physics but not mathematics, is:

- A. 30
- B. 35
- C. 40
- D. 55

15. The sum of all possible real values of x for which $\log_{(x-3)}(x^2 - 9) = \log_{(x-3)}(x + 1) + 2$, is:

- A. -3
- B. $\sqrt{33}$
- C. 3
- D. $(3 + \sqrt{33})/2$

16. The average salary of 5 managers and 25 engineers in a company is 60000 rupees. If each of the managers received 20% salary increase while the salary of the engineers remained unchanged, the average salary of all 30 employees would have increased by 5%. The average salary, in rupees, of the engineers is:

- A. 45000
- B. 50000
- C. 54000
- D. 40000

17. ABCD is a trapezium in which AB is parallel to DC, AD is perpendicular to AB, and $AB = 3DC$. If a circle inscribed in the trapezium touching all the sides has a radius of 3 cm, then the area, in sq. cm, of the trapezium is:

- A. 48
- B. $30\sqrt{3}$
- C. $36\sqrt{2}$
- D. 54

18. If $12^{(12x)} \times 4^{(24x + 12)} \times 5^{(2y)} = 8^{(4z)} \times 20^{(12x)} \times 243^{(3x - 6)}$, where x , y and z are natural numbers, then $x + y + z$ equals.

19. In $\triangle ABC$, $AB = AC = 12$ cm and D is a point on side BC such that $AD = 8$ cm. If AD is extended to a point E such that $\angle ACB = \angle AEB$, then the length, in cm, of AE is:

- A. 20
- B. 16
- C. 18
- D. 14

20. Vessels A and B contain 60 litres of alcohol and 60 litres of water, respectively. A certain volume is taken out from A and poured into B. After stirring, the same volume is taken out from B and poured into A. If the resultant ratio of alcohol and water in A is 15 : 4, then the volume, in litres, initially taken out from A is.

21. The ratio of the number of coins in boxes A and B was 17 : 7. After 108 coins were shifted from box A to box B, this ratio became 37 : 20. The number of coins that needs to be shifted further from A to B, to make this ratio 1 : 1, is.

22. Let p , q and r be three natural numbers such that their sum is 900, and r is a perfect square whose value lies between 150 and 500. If p is not less than $0.3q$ and not more than $0.7q$, then the sum of the maximum and minimum possible values of p is.